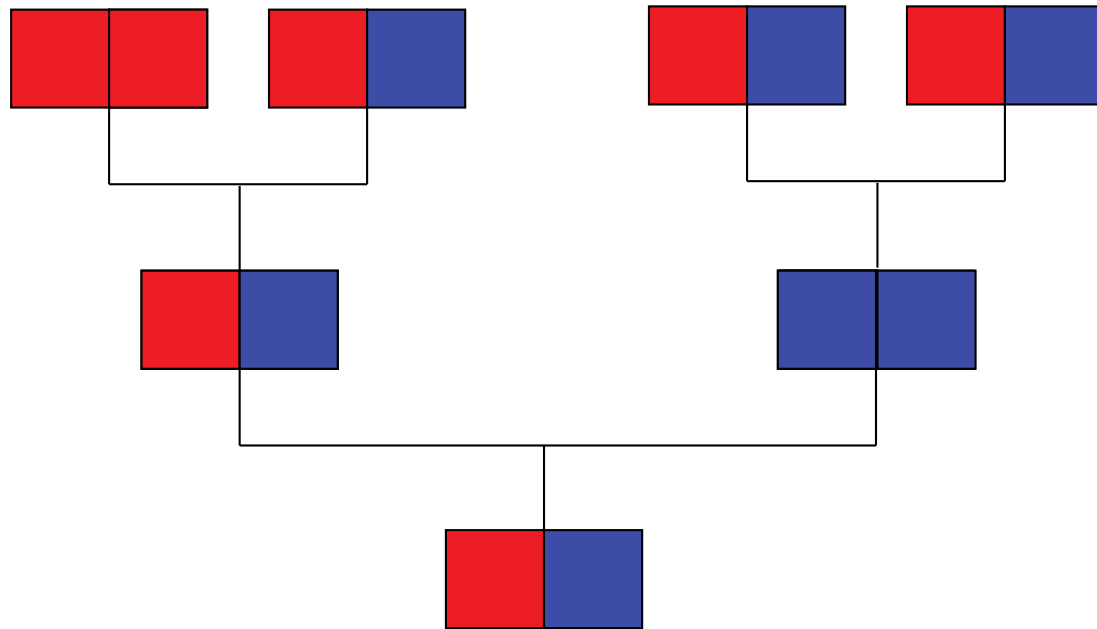


Disentangling Nature and Nurture Using Genomic Family Data



Alexander Young

SSGAC & USC

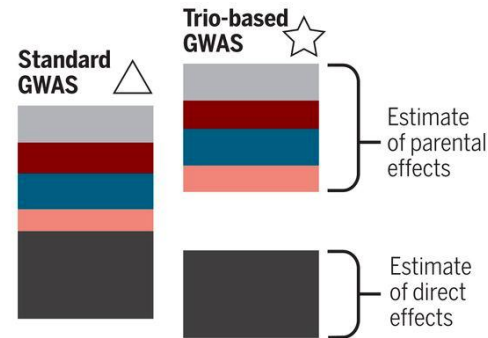
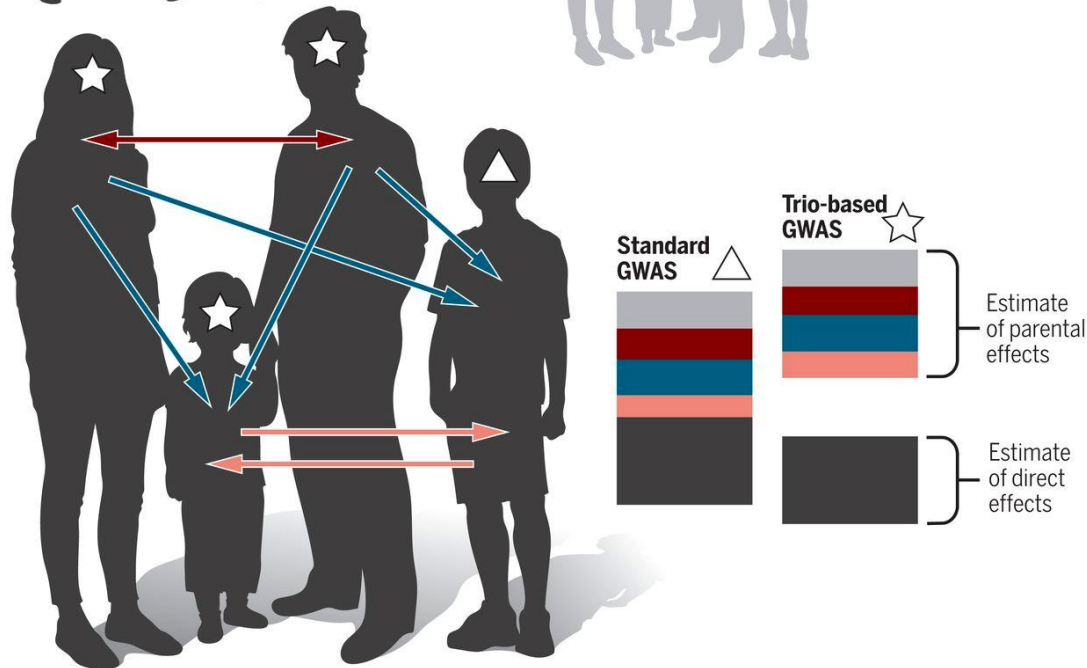
Blog: <https://geneticvariance.wordpress.com/>



@alexTISyoung

Deconstructing the sources of genotype-phenotype associations

Spectrum of genetic ancestries among families (population structure)



● Parental effects ● Assortative mating ● Sib effects ● Population structure confounding

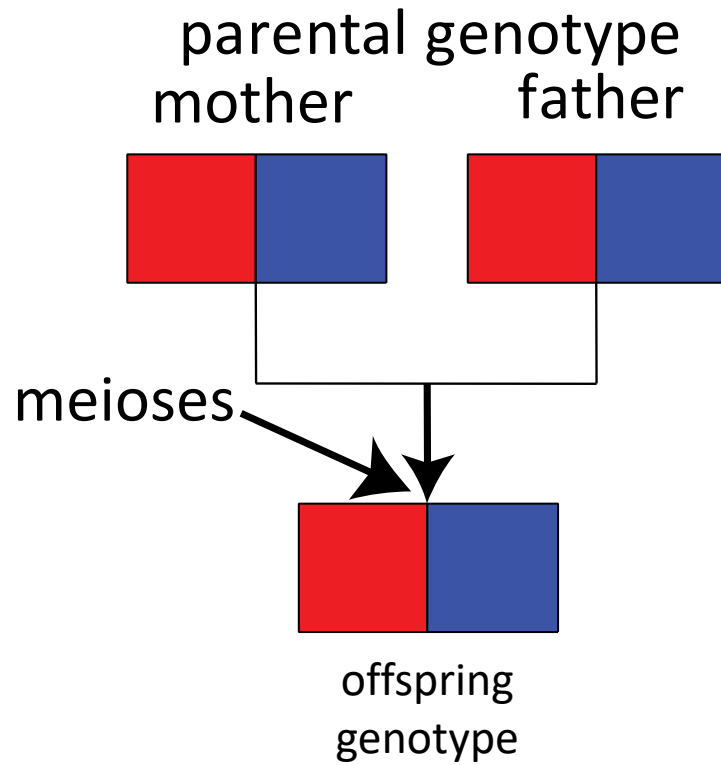
Young et al., Deconstructing the sources of genotype-phenotype associations in humans. *Science* (2020)

Separating out direct genetic effects

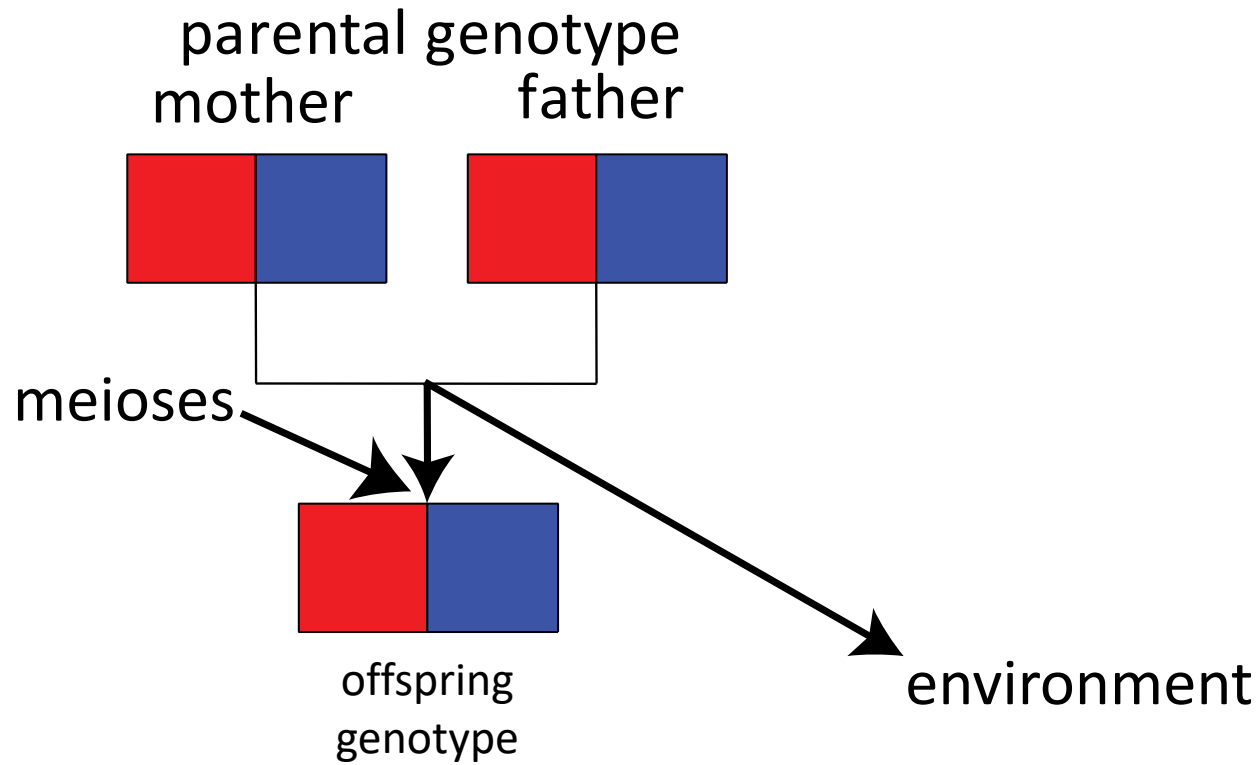
The transmission disequilibrium test (TDT):

Parental alleles	A	T
Expected proportion in offspring	50%	50%
Observed proportion	60%	40%

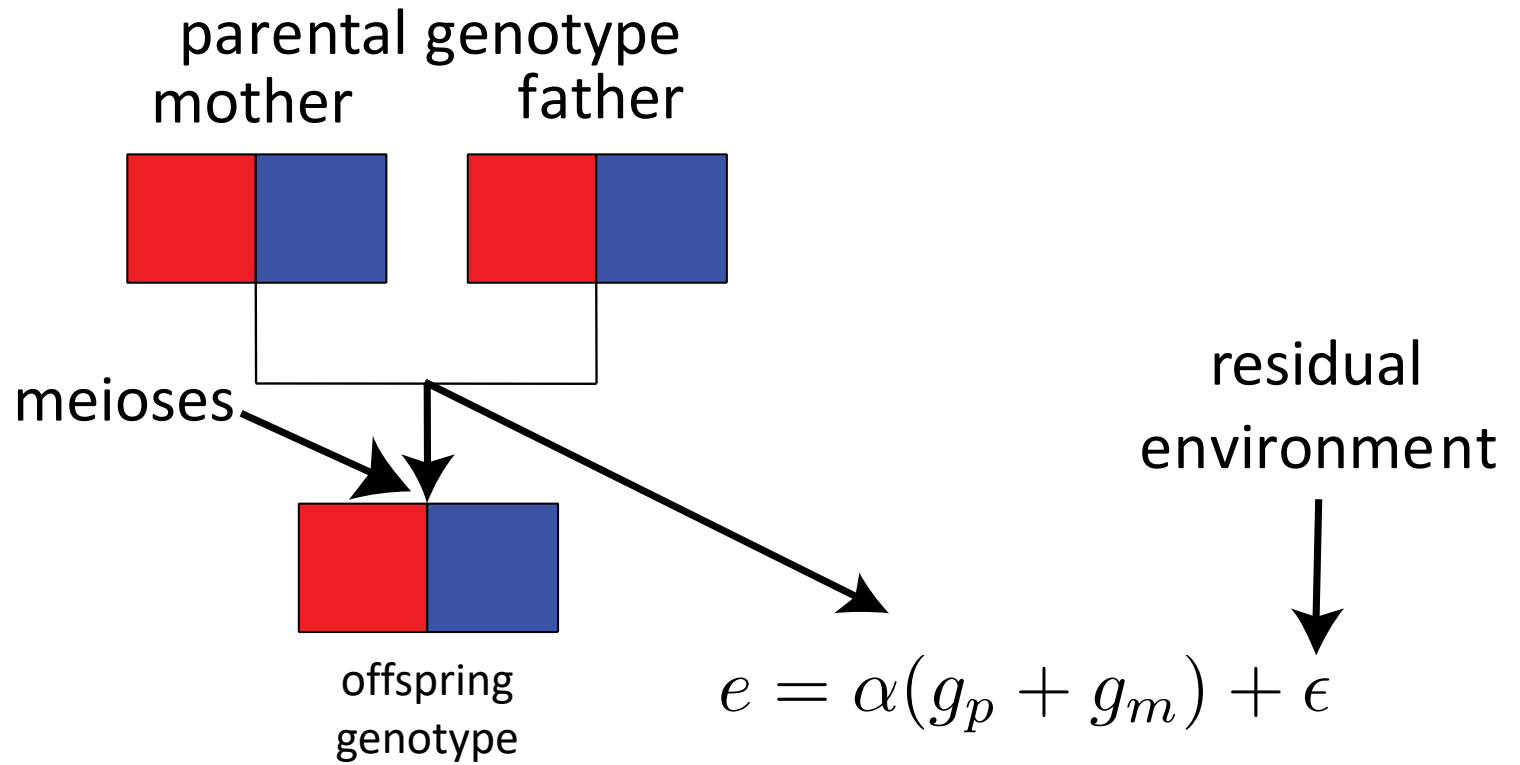
Dependencies between genes and environment



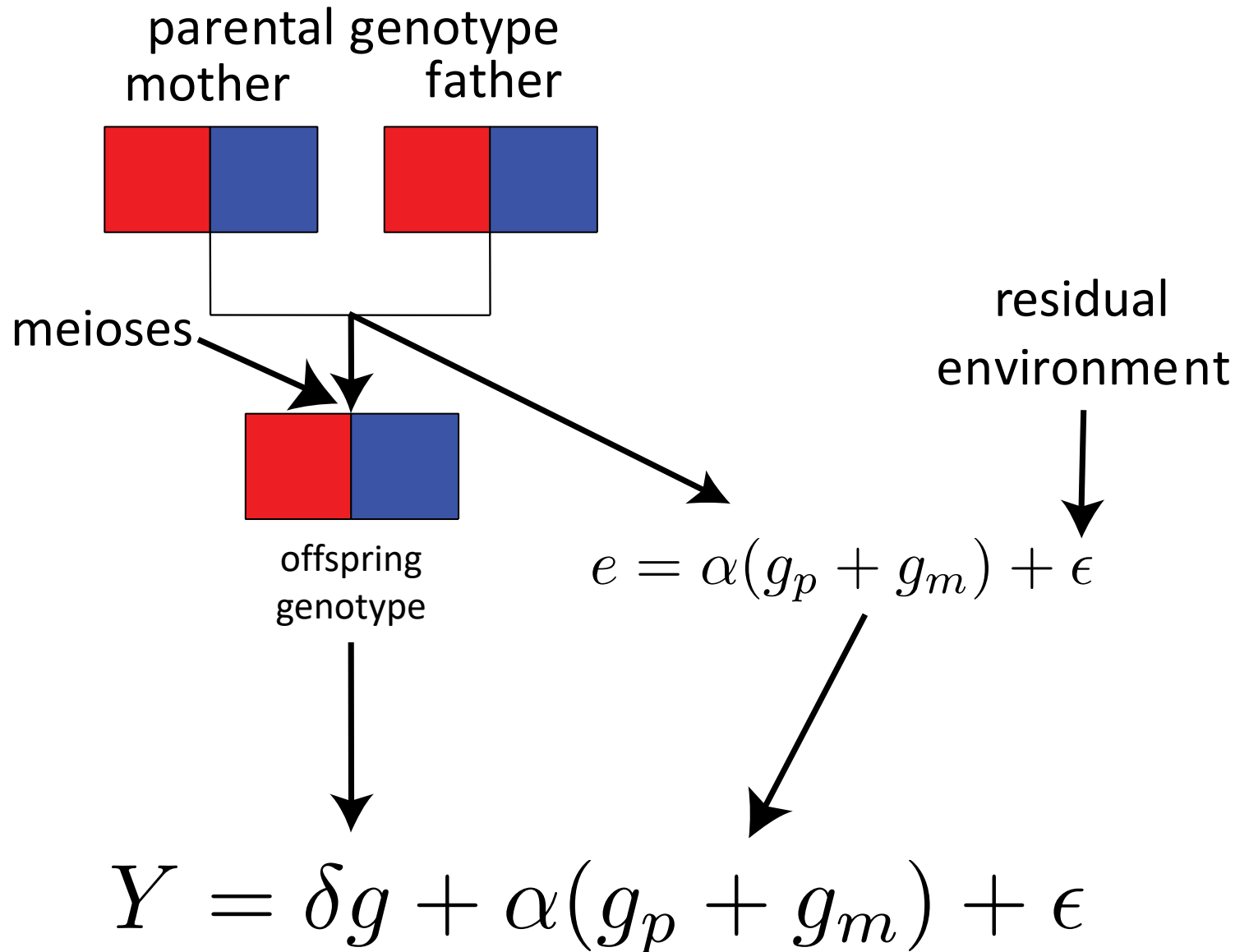
Dependencies between genes and environment



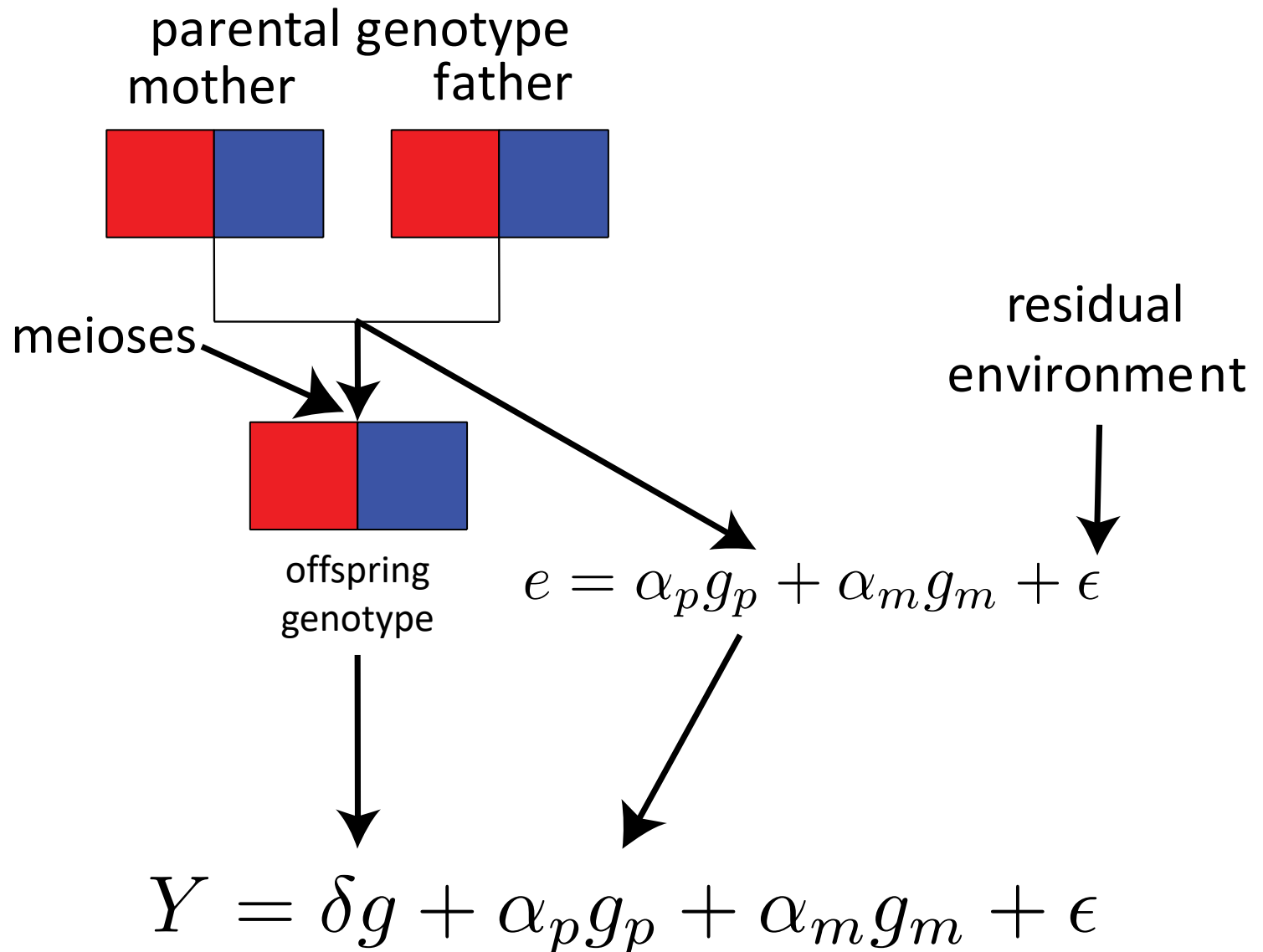
Dependencies between genes and environment



Dependencies between genes and environment



Dependencies between genes and environment



HUMAN GENOMICS

The nature of nurture: Effects of parental genotypes

Augustine Kong,^{1,2,3*} Gudmar Thorleifsson,¹ Michael L. Frigge,¹
Bjarni J. Vilhjalmsen,^{4,5} Alexander I. Young,^{1,2,6} Thorgeir E. Thorgeirsson,¹
Stefania Benonisdottir,¹ Asmundur Oddsson,¹ Bjarni V. Halldorsson,¹ Gisli Masson,¹
Daniel F. Gudbjartsson,^{1,3} Agnar Helgason,^{1,7} Gyda Bjornsdottir,¹
Unnur Thorsteinsdottir,^{1,8} Kari Stefansson^{1,8*}

Sequence variants in the parental genomes that are not transmitted to a child (the proband) are often ignored in genetic studies. Here we show that nontransmitted alleles can affect a child through their impacts on the parents and other relatives, a phenomenon we call “genetic nurture.” Using results from a meta-analysis of educational attainment, we find that the polygenic score computed for the nontransmitted alleles of 21,637 probands with at least one parent genotyped has an estimated effect on the educational attainment of the proband that is 29.9% ($P = 1.6 \times 10^{-14}$) of that of the transmitted polygenic score. Genetic nurturing effects of this polygenic score extend to other traits. Paternal and maternal polygenic scores have similar effects on educational attainment, but mothers contribute more than fathers to nutrition- and health-related traits.

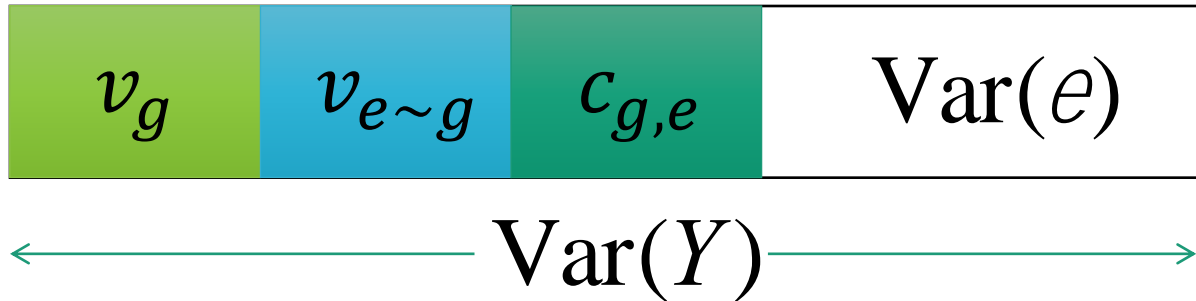
Direct and indirect effects of educational attainment polygenic score

(Score constructed from Okbay et al. 2016)

Trait	R^2 (%)	R^2_{δ} (%)
Educational attainment	4.98	2.45
Age at first child	1.17	0.48
Health (composite)	0.67	0.23

Variance decomposition

$$Y = \delta g + \eta(g_p + g_m) + \epsilon$$



Variance decomposition

$\mathbf{Var}(e)$

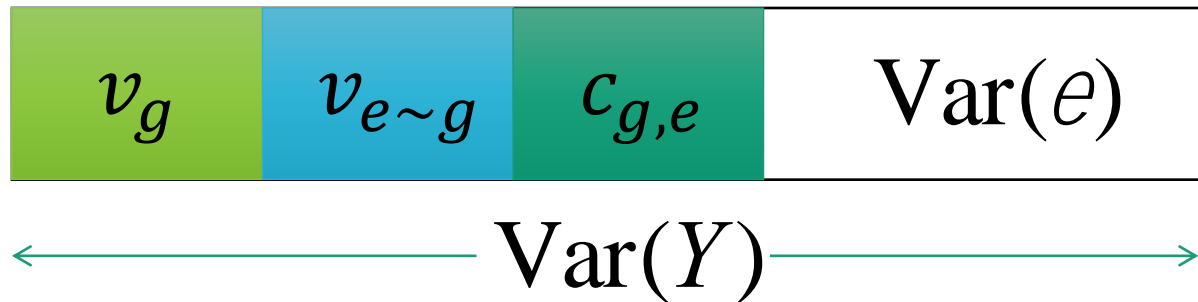


$\longleftrightarrow \text{Var}(Y) \longrightarrow$

v_g Additive genetic variance: $h^2 = v_g / \text{Var}(Y)$

Variance decomposition

$$Y = \delta g + \eta(g_p + g_m) + \epsilon$$

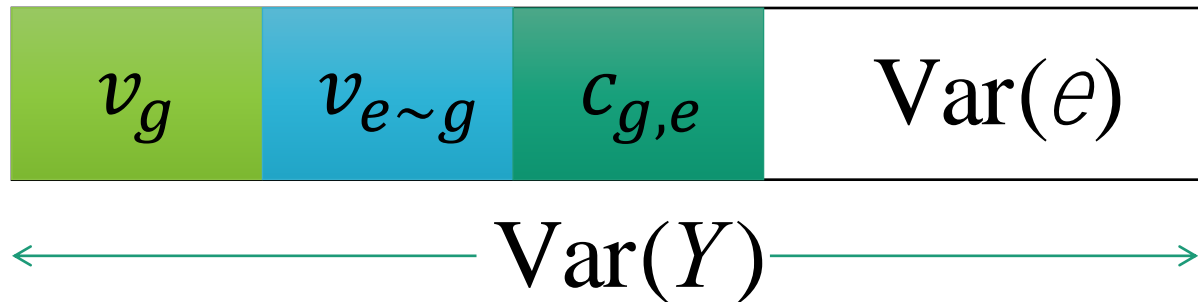


v_g Additive genetic variance: $h^2 = v_g / \text{Var}(Y)$

$v_{e \sim g}$ Variance of environmental component correlated with parental genotype

Variance decomposition

$$Y = \delta g + \eta(g_p + g_m) + \epsilon$$



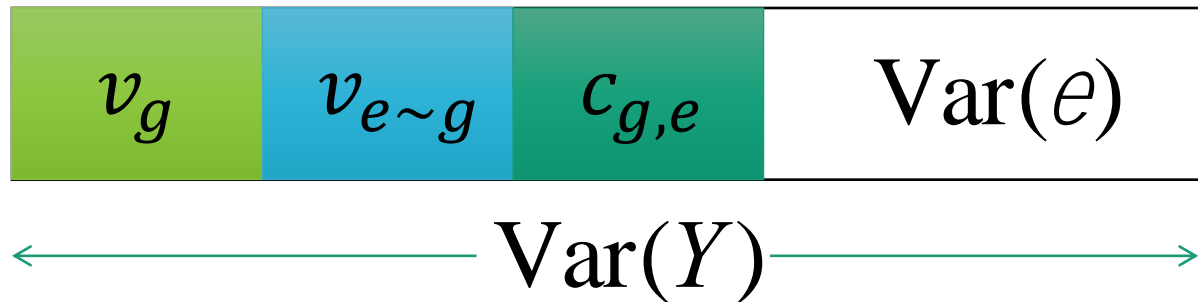
v_g Additive genetic variance: $h^2 = v_g / \text{Var}(Y)$

$v_{e \sim g}$ Variance of environmental component correlated with parental genotype

$c_{g,e}$ Covariance between genetic and environmental effects

Variance decomposition

$$Y = \delta g + \eta(g_p + g_m) + \epsilon$$



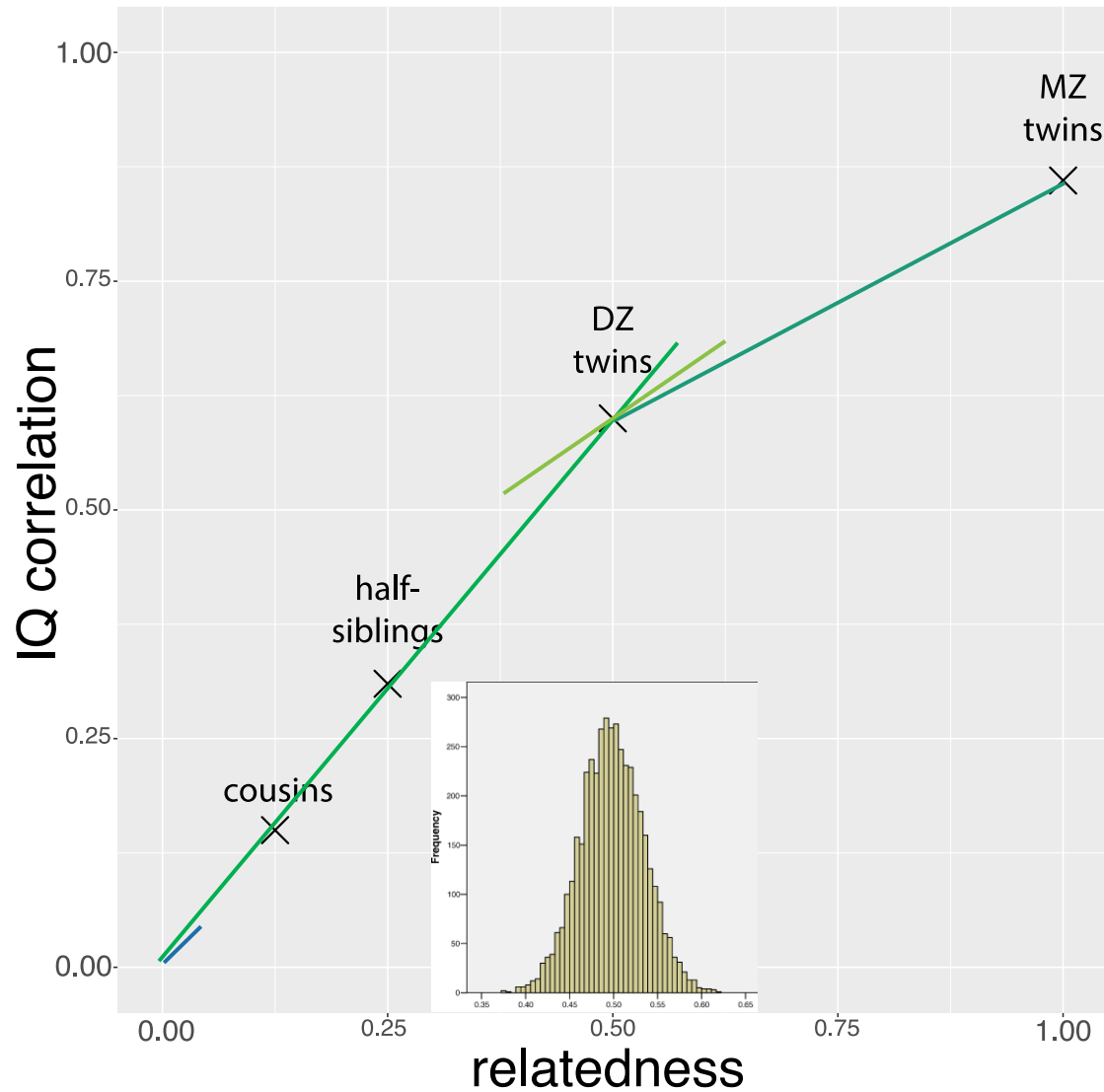
v_g Additive genetic variance: $h^2 = v_g / \text{Var}(Y)$

$v_{e \sim g}$ Variance of environmental component correlated with parental genotype

$c_{g,e}$ Covariance between genetic and environmental effects

$\text{Var}(e)$ Residual environmental variance

Heritability Estimation



Twin

GREML
(Yang et al. 2010)

Kinship
(Zaitlen et al. 2013,
Hill et al. 2018)

Sib-Regression
(Visscher et al. 2006)

Data from: Familial studies of intelligence: a review. TJ Bouchard JR
and M McGue, Science, 1981.

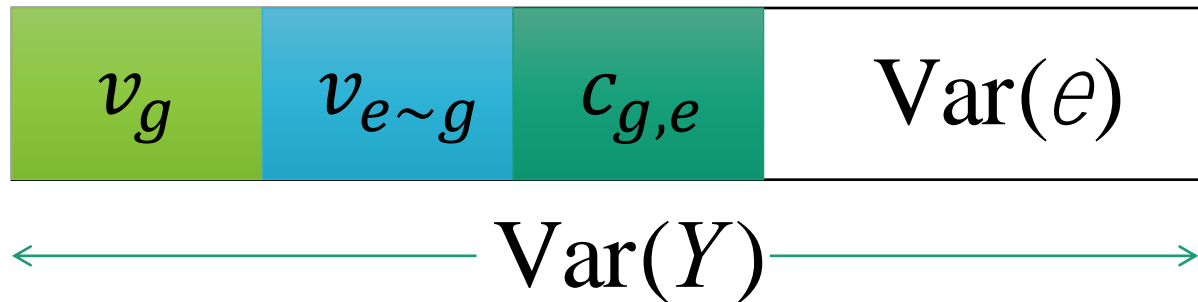
Relatedness disequilibrium regression estimates heritability without environmental bias

Alexander I. Young ^{1,2,3*}, Michael L. Frigge ¹, Daniel F. Gudbjartsson ^{1,4}, Gudmar Thorleifsson¹, Gyda Bjornsdottir¹, Patrick Sulem ¹, Gisli Masson¹, Unnur Thorsteinsdottir^{1,5}, Kari Stefansson^{1,5} and Augustine Kong ^{1,3,4*}

Heritability measures the proportion of trait variation that is due to genetic inheritance. Measurement of heritability is important in the nature-versus-nurture debate. However, existing estimates of heritability may be biased by environmental effects. Here, we introduce relatedness disequilibrium regression (RDR), a novel method for estimating heritability. RDR avoids most sources of environmental bias by exploiting variation in relatedness due to random Mendelian segregation. We used a sample of 54,888 Icelanders who had both parents genotyped to estimate the heritability of 14 traits, including height (55.4%, s.e. 4.4%) and educational attainment (17.0%, s.e. 9.4%). Our results suggest that some other estimates of heritability may be inflated by environmental effects.

Variance decomposition

$$Y = \delta g + \eta(g_p + g_m) + \epsilon$$



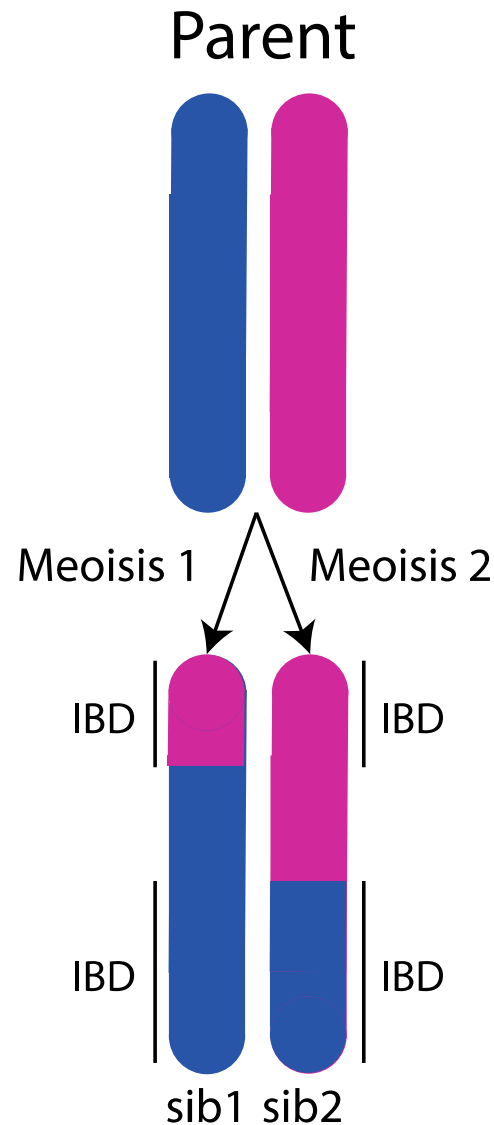
v_g Additive genetic variance: $h^2 = v_g / \text{Var}(Y)$

$v_{e \sim g}$ Variance of environmental component correlated with parental genotype

$c_{g,e}$ Covariance between genetic and environmental effects

$\text{Var}(e)$ Residual environmental variance

Identity-by-descent (IBD)



Expect $\frac{1}{2}$ of genome inherited from father/mother to be IBD for siblings

Genotypic covariance between individuals

$$\text{Cov}(g_i, g_j) = ?$$

Assume that $g_i = g_j$ when both inherited from recent common ancestor (identical-by-descent, IBD)

Assume that $g_i \perp g_j$ when not identical by descent

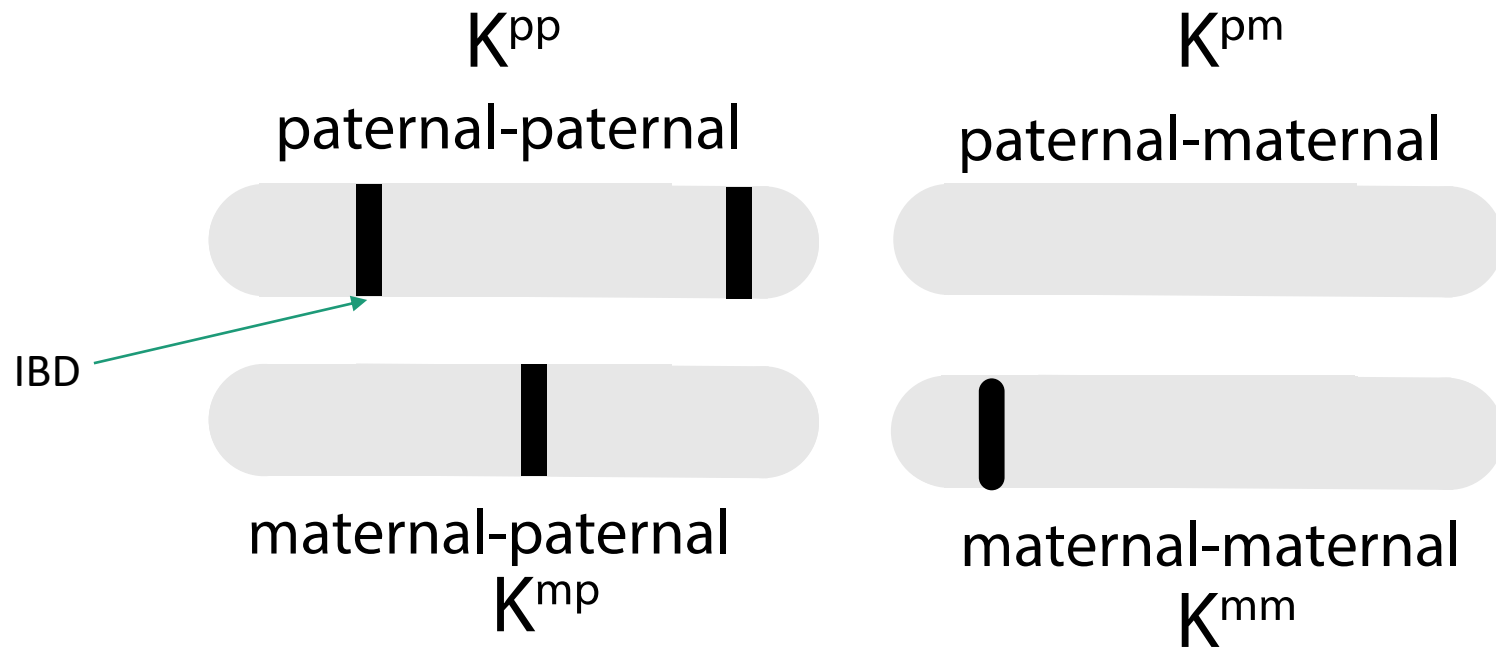
$$\text{Cov}(g_i, g_j) = 2f(1 - f)R_{i,j}$$



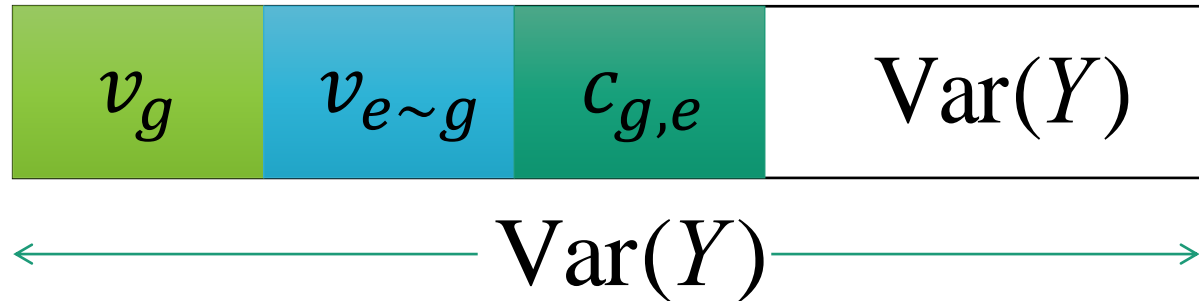
Relatedness between pair

Relatedness coefficient

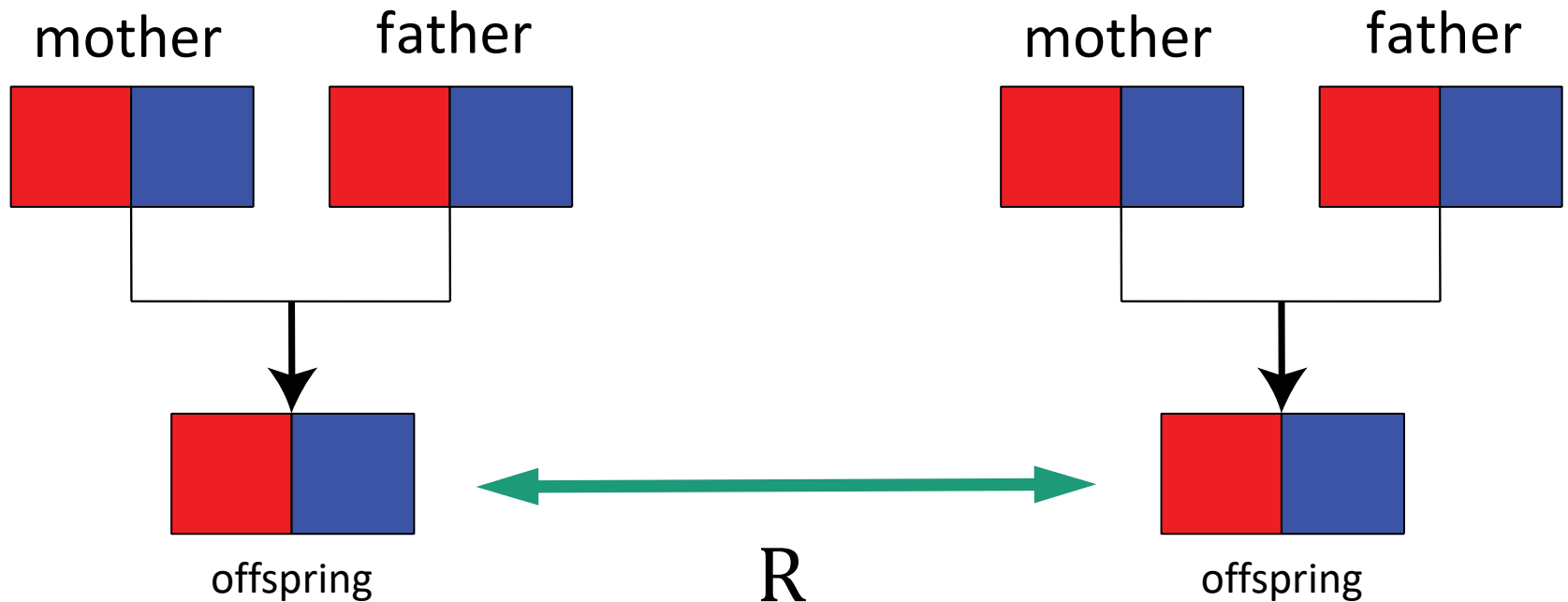
$$R_{ij} = 2K_{i,j} = \frac{1}{2}(K_{i,j}^{pp} + K_{i,j}^{pm} + K_{i,j}^{mp} + K_{i,j}^{mm})$$



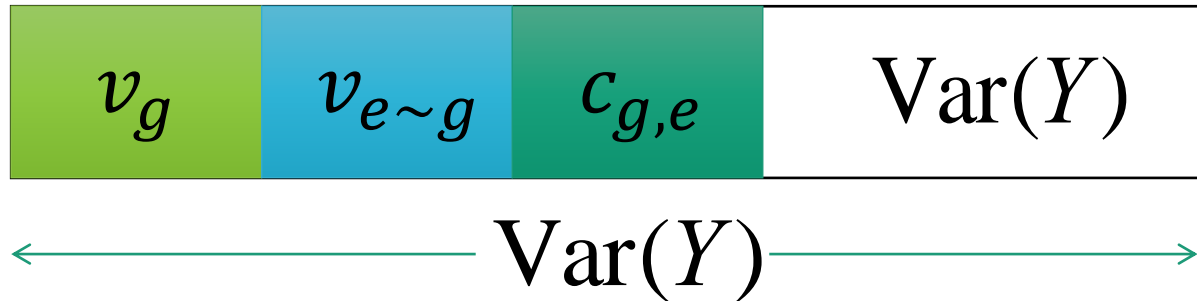
Covariance decomposition into inherited and non-inherited components



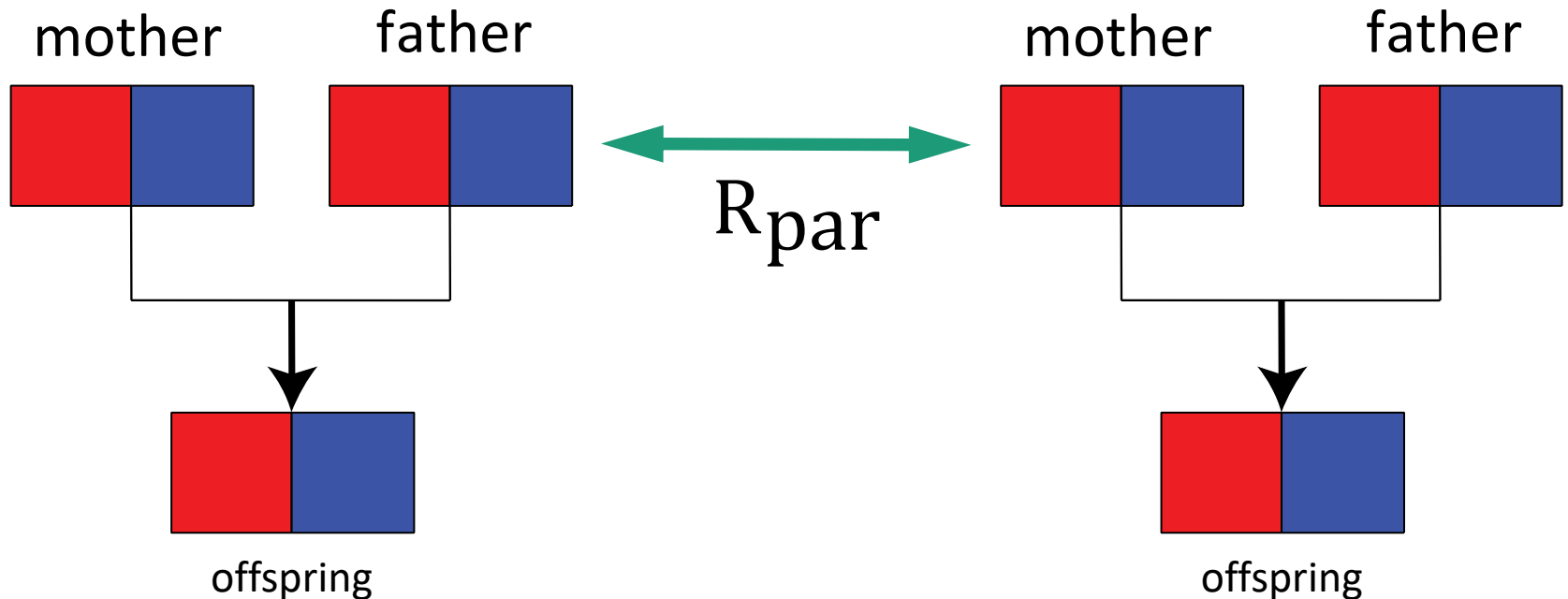
$$\text{Cov}(\mathbf{Y}) = v_g \mathbf{R} + v_{e \sim g} \mathbf{R}_{\text{par}} + c_{g,e} \mathbf{R}_{\text{o,par}} + \sigma^2 \text{Cov}(\boldsymbol{\varepsilon})$$



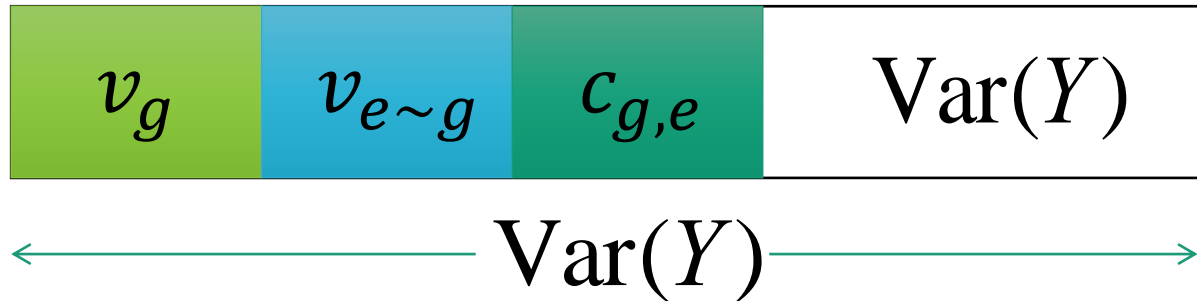
Covariance decomposition into inherited and non-inherited components



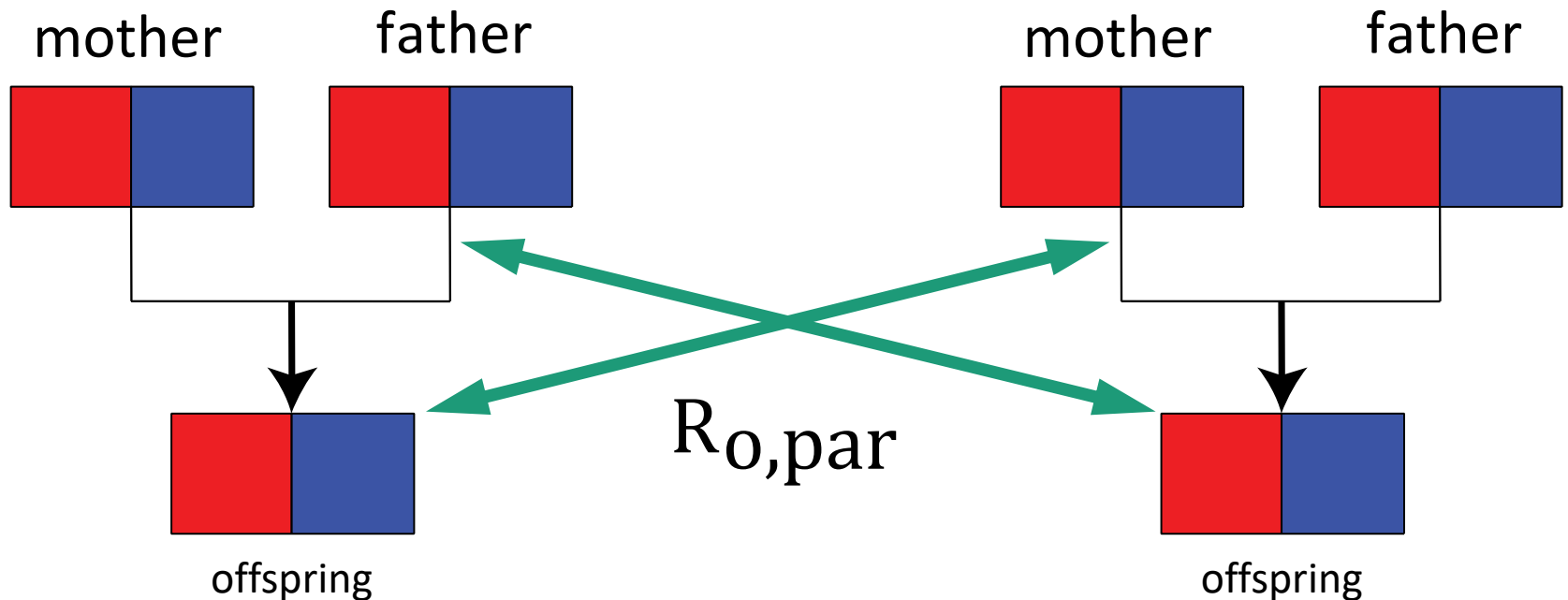
$$\text{Cov}(\mathbf{Y}) = v_g \mathbf{R} + v_{e \sim g} \mathbf{R}_{\text{par}} + c_{g,e} \mathbf{R}_{\text{o,par}} + \sigma^2 \text{Cov}(\boldsymbol{\varepsilon})$$



Covariance decomposition into inherited and non-inherited components



$$\text{Cov}(\mathbf{Y}) = v_g \mathbf{R} + v_{e \sim g} \mathbf{R}_{\text{par}} + c_{g,e} \mathbf{R}_{\text{o,par}} + \sigma^2 \text{Cov}(\boldsymbol{\varepsilon})$$



Relatedness Disequilibrium Regression

‘True’ covariance model:

$$\text{Cov}(\mathbf{Y}) = v_g \mathbf{R} + v_{e \sim g} \mathbf{R}_{\text{par}} + c_{g,e} \mathbf{R}_{\text{o,par}} + \text{Cov}(\boldsymbol{\varepsilon})$$

RDR covariance model

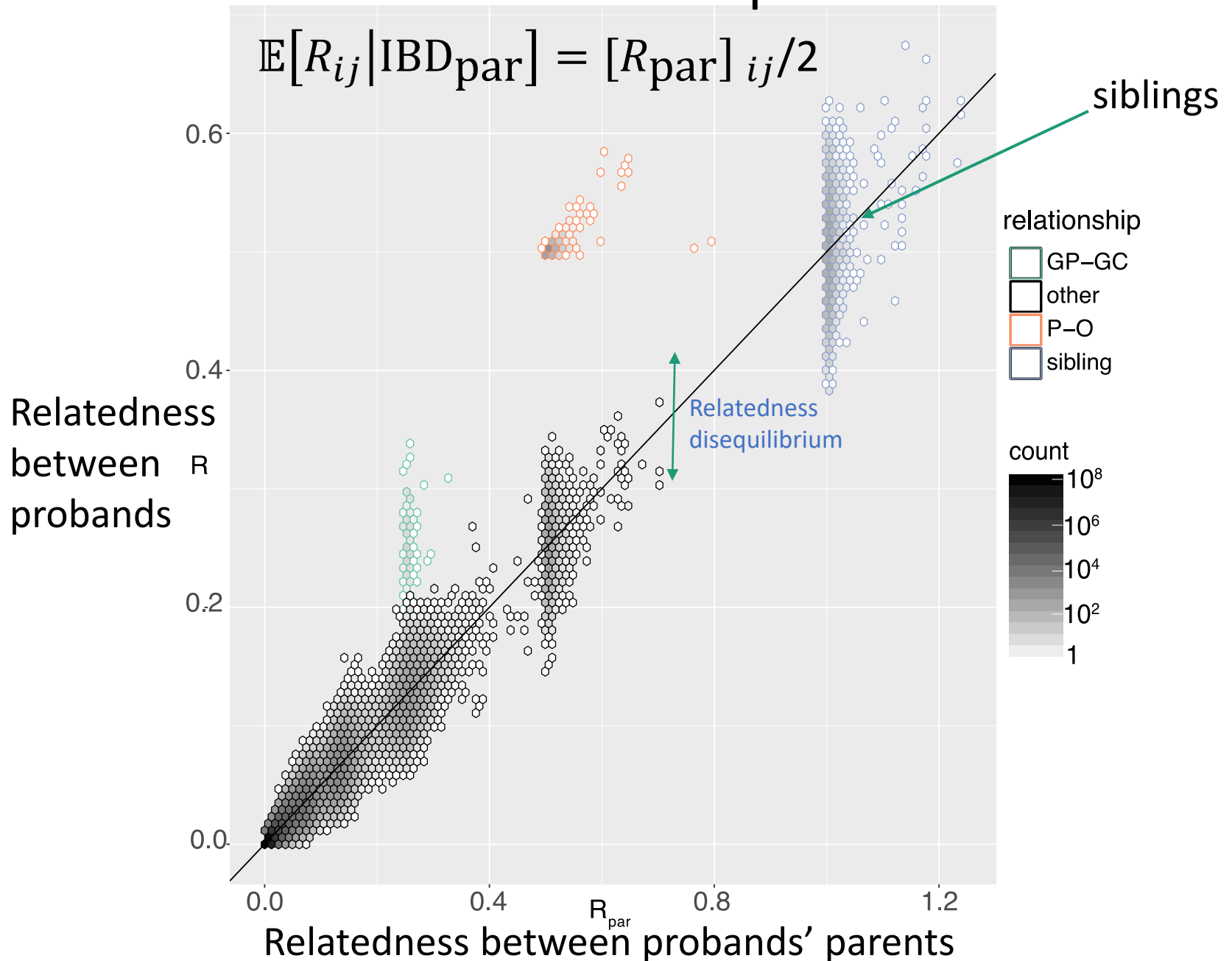
$$\text{Cov}(\mathbf{Y}) = v_g \mathbf{R} + v_{e \sim g} \mathbf{R}_{\text{par}} + c_{g,e} \mathbf{R}_{\text{o,par}} + \sigma^2 \mathbf{I}$$

Theorem

The estimator of the genetic variance from the RDR model converges to the true heritability

$$\widehat{v_g} \longrightarrow v_g$$

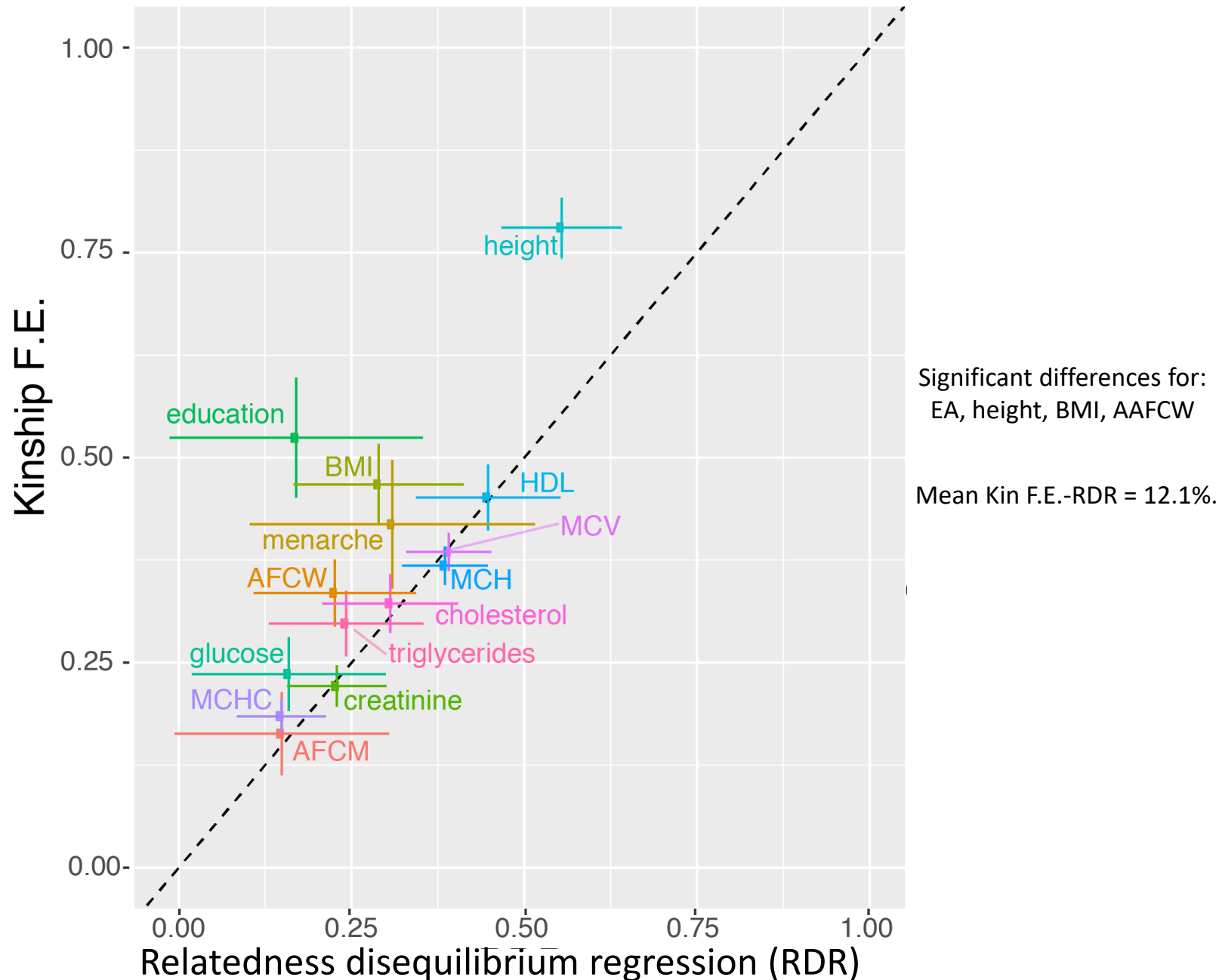
Relatedness Disequilibrium



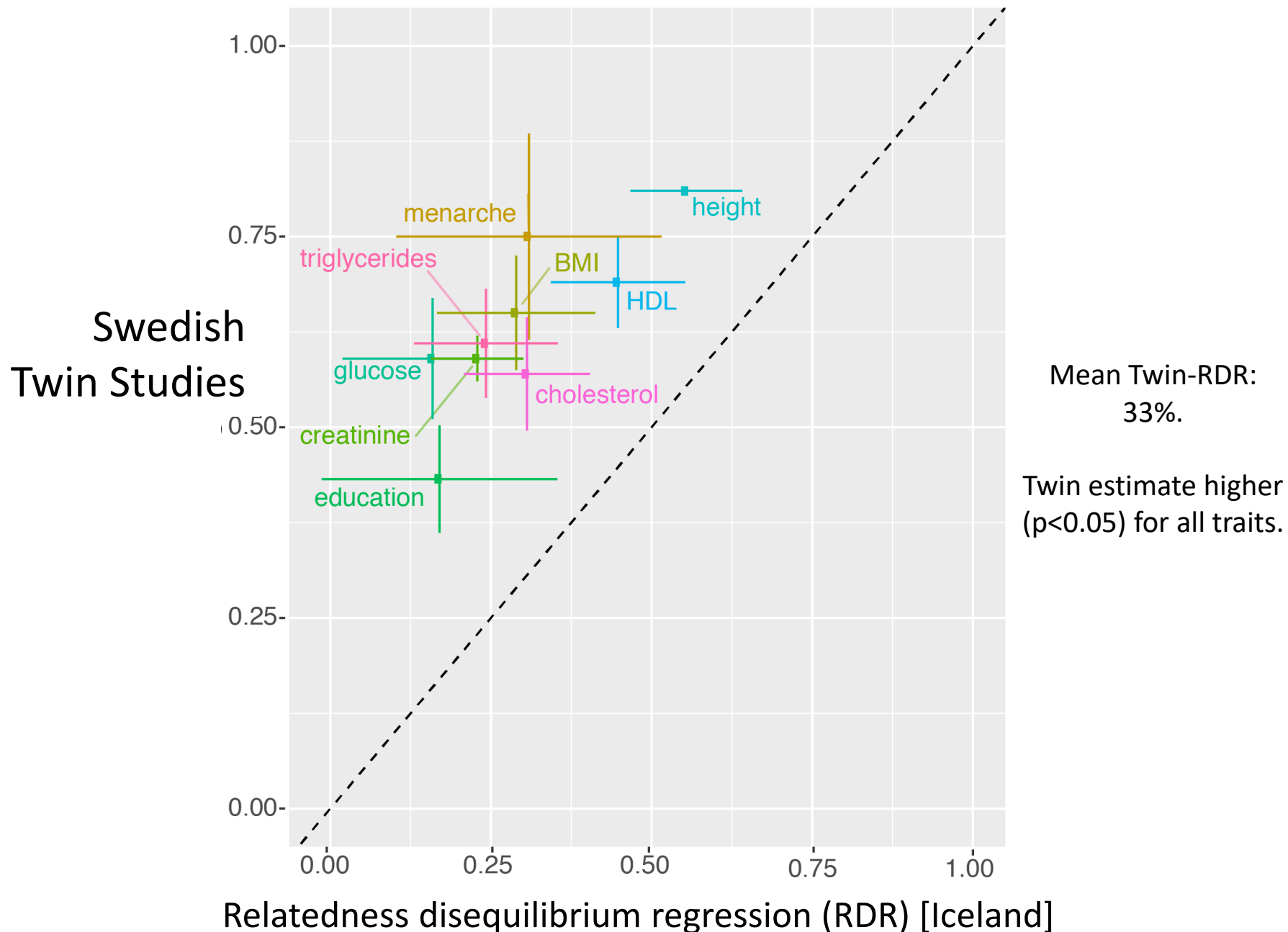
Selected estimates

Trait	RDR
	h^2 (S.E.) (%)
BMI	28.9 (6.3)
height	55.4 (4.4)
education	17.0 (9.4)

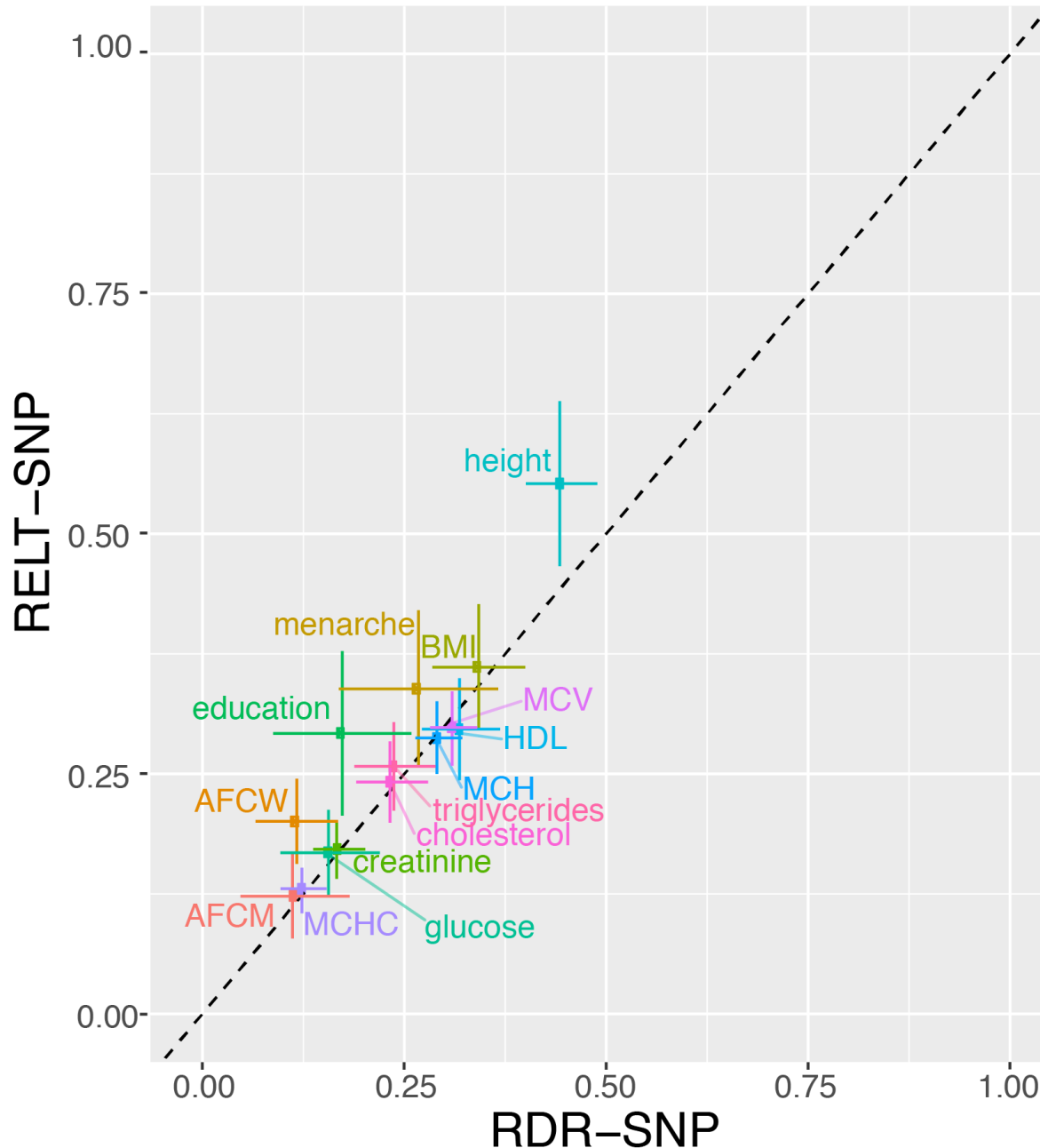
Comparison to Kinship (F.E.) Estimator



Comparison to Swedish Twin Studies



Overestimation of heritability by GREML methods



Educational attainment

$$\frac{h^2_{\text{RELT-SNP}}}{h^2_{\text{RDR-SNP}}} = 1.69, p < 0.027$$

Consistent with parental genetic nurturing 30% of direct

Consistent with Kong et al., Science 2018, and EA3 (Lee et al. Nature Genetics 2018)

AFCW

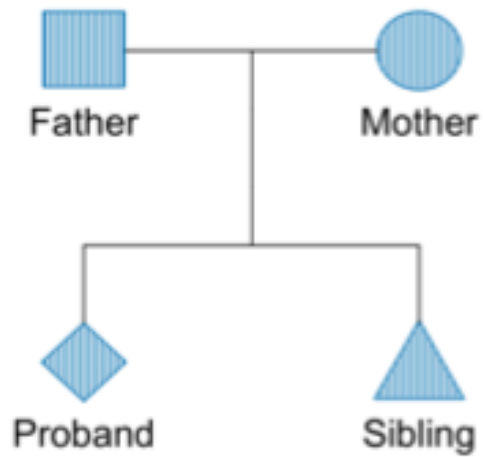
$$\frac{h^2_{\text{RELT-SNP}}}{h^2_{\text{RDR-SNP}}} = 1.72, p < 7.6 \times 10^{-3}$$

Height

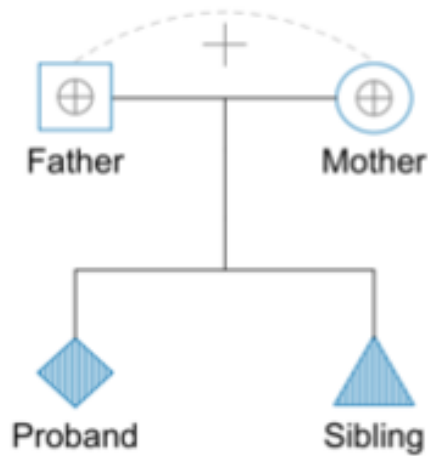
$$\frac{h^2_{\text{RELT-SNP}}}{h^2_{\text{RDR-SNP}}} = 1.24, p < 0.015$$

Problem: parental genotypes often missing

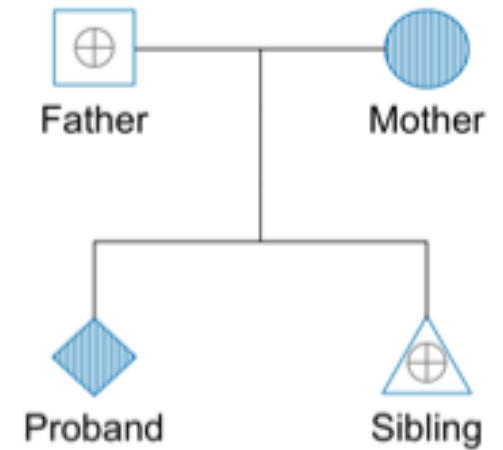
Complete Data



Sibs only

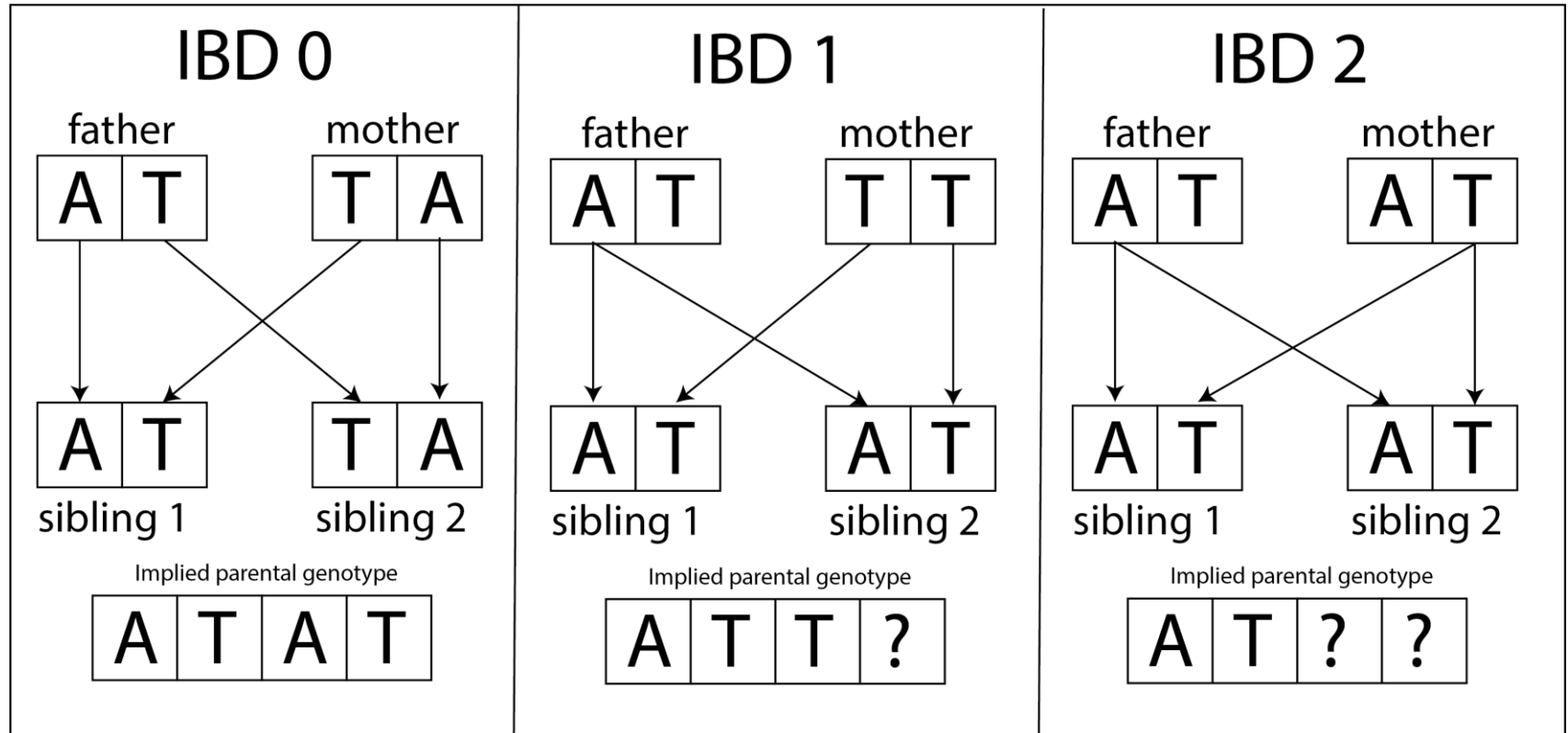


Parent-offspring



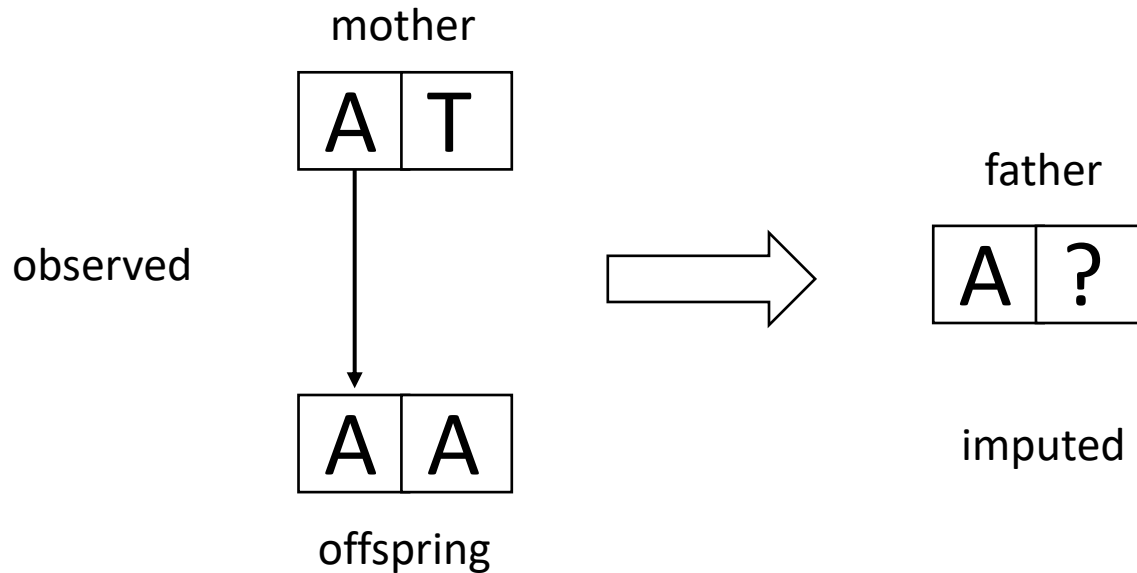
Kong et al., Family analysis with Mendelian Imputations, biorXiv 2020

Imputation from siblings using IBD



$$\text{Var}(\hat{g}_{par(i)}) = 3f(1 - f) = (3/4)\text{Var}(g_{par(i)}).$$

Imputation from parent-offspring pairs



With double het resolved by phase:

$$\text{Var}(\hat{g}_{p(i)}) = f(1 - f) = \text{Var}(g_{p(i)})/2$$

Imputation for multiple regression

Model

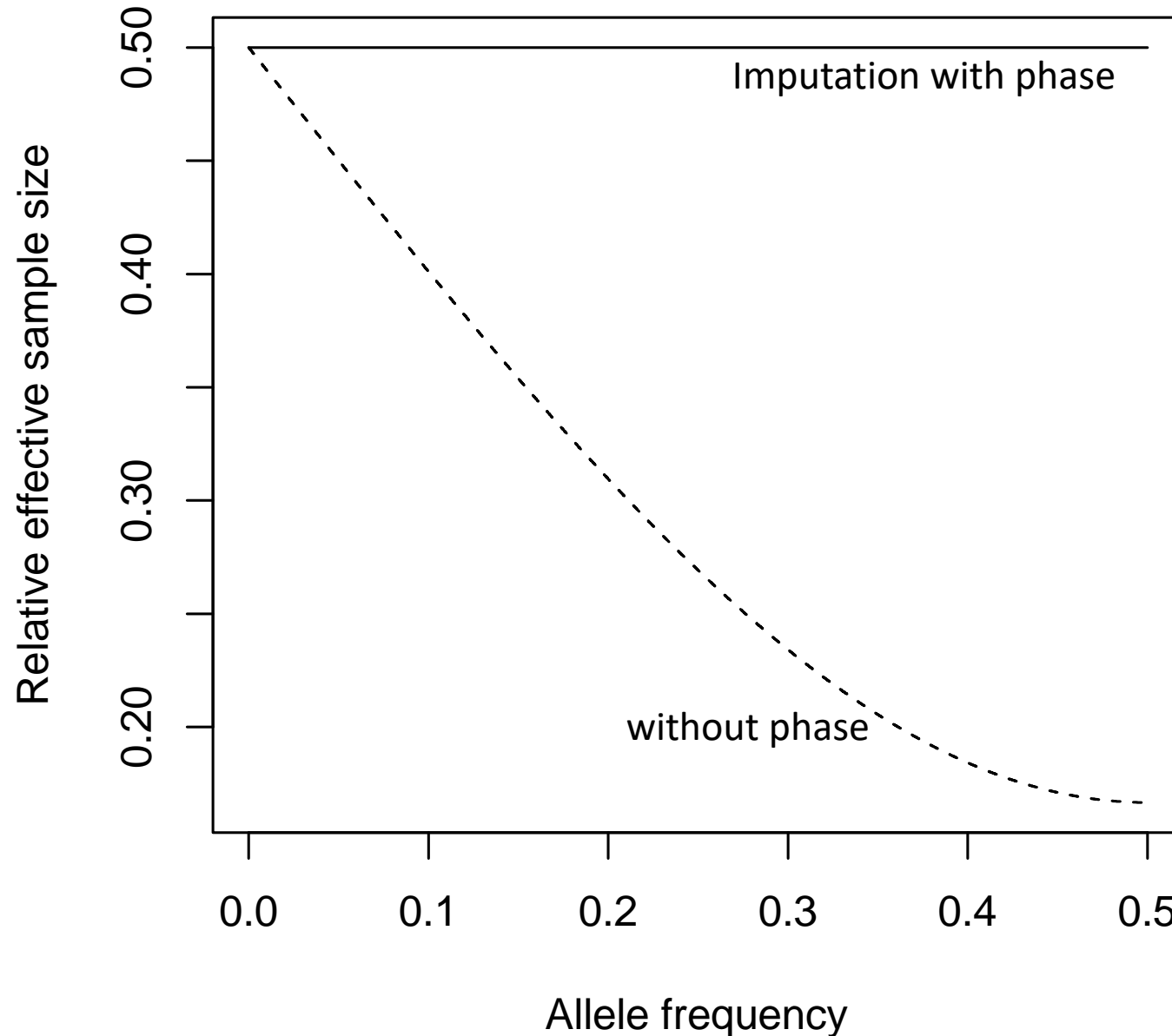
$$y_i = \delta g_i + \alpha_m g_{m(i)} + \alpha_p g_{p(i)} + \epsilon_i$$

Regression with imputed paternal genotype

$$y_i \sim g_i + g_{m(i)} + \hat{g}_{p(i)} \rightarrow \delta, \alpha_m, \alpha_p$$

Imputation gives unbiased estimates!

Efficiency relative to both parents observed (direct effects)



Estimating effects from siblings

Correlated with parental genotype

Between
family
genetic
differences

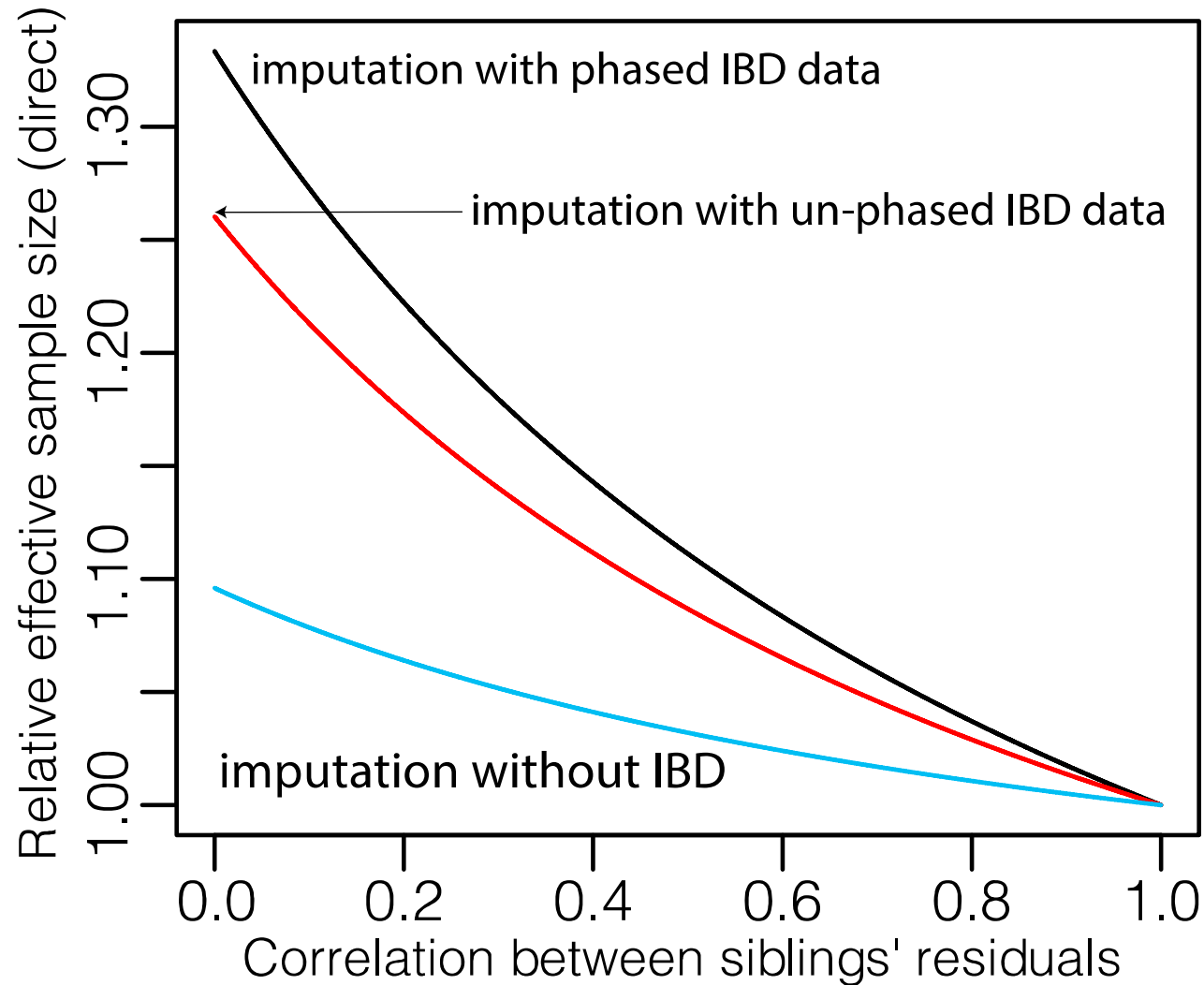


Within-family genetic differences

Uncorrelated with parental
genotype

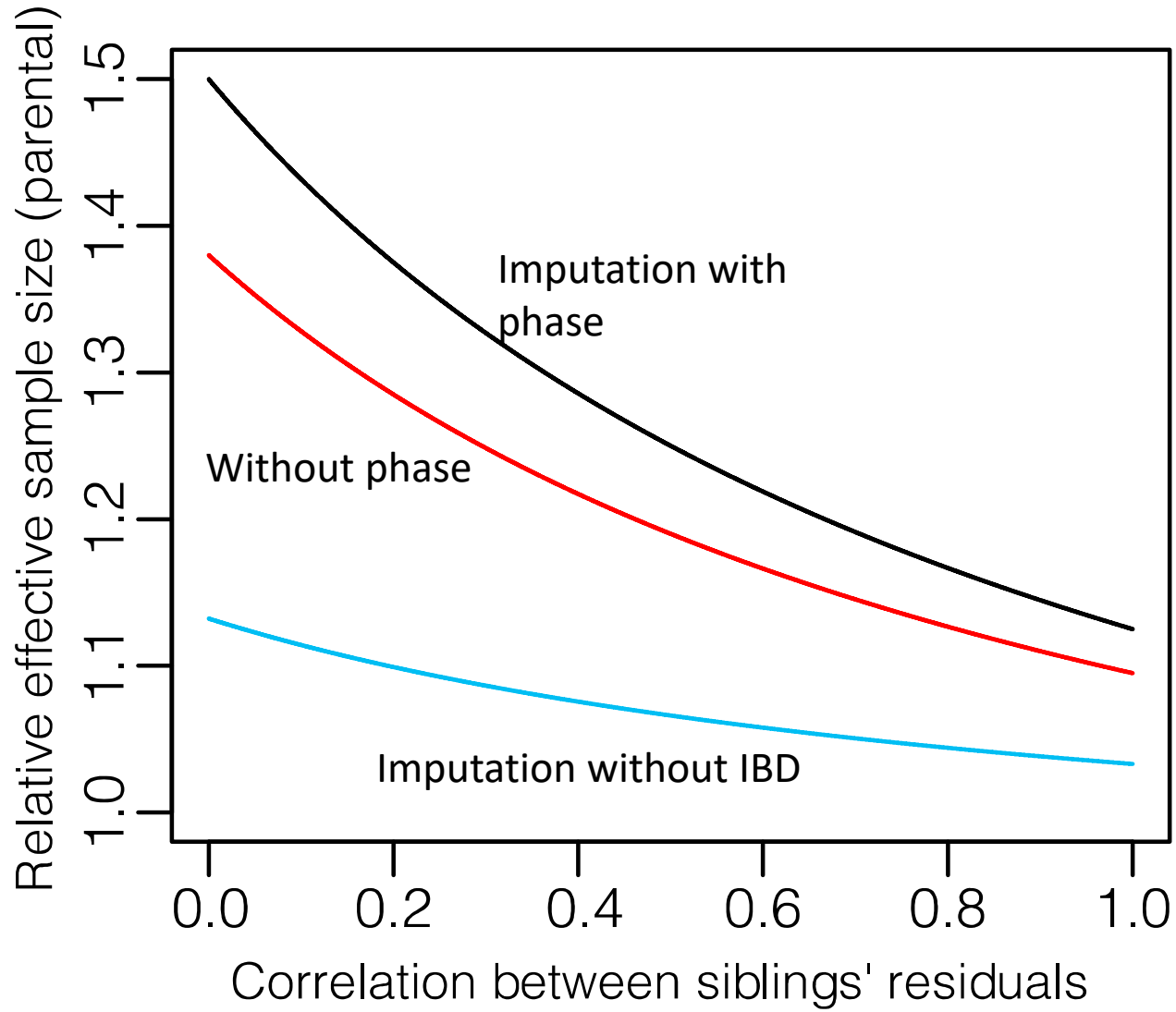
Orthogonal axes of information for estimation of direct genetic effects

Estimating effects from siblings



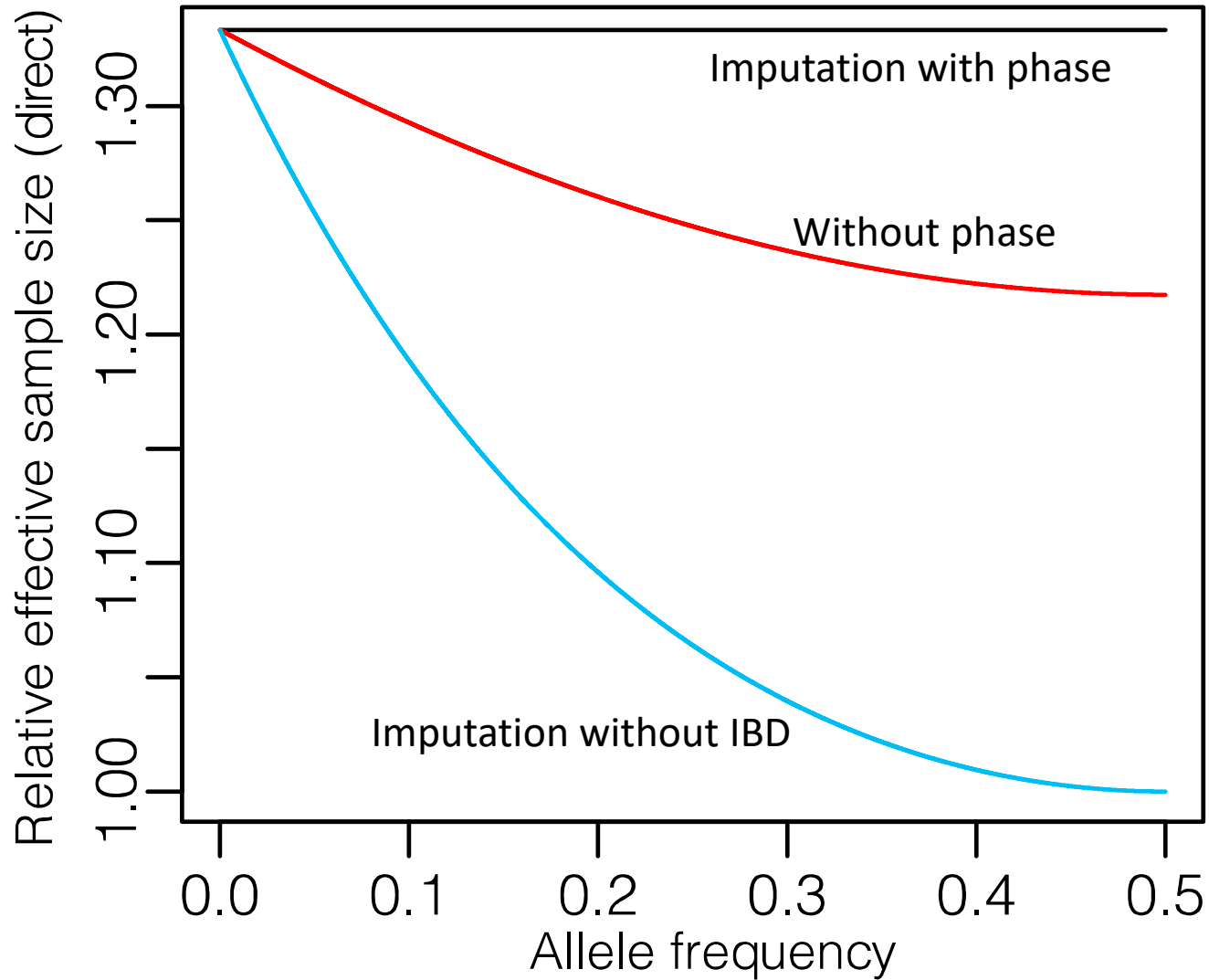
Efficiency for estimation of direct effects relative to no imputation

Estimating effects from siblings



Efficiency for estimation of parental effects relative to no imputation

Estimating effects from siblings



Efficiency for estimation of direct effects relative to no imputation

Mixed model regression

$$Y_{ij} = X_{ij}\alpha + \mu_i + \epsilon_{ij}; \mu_i \sim N(0, \sigma_F^2); \epsilon_{ij} \sim N(0, \sigma_\epsilon^2);$$

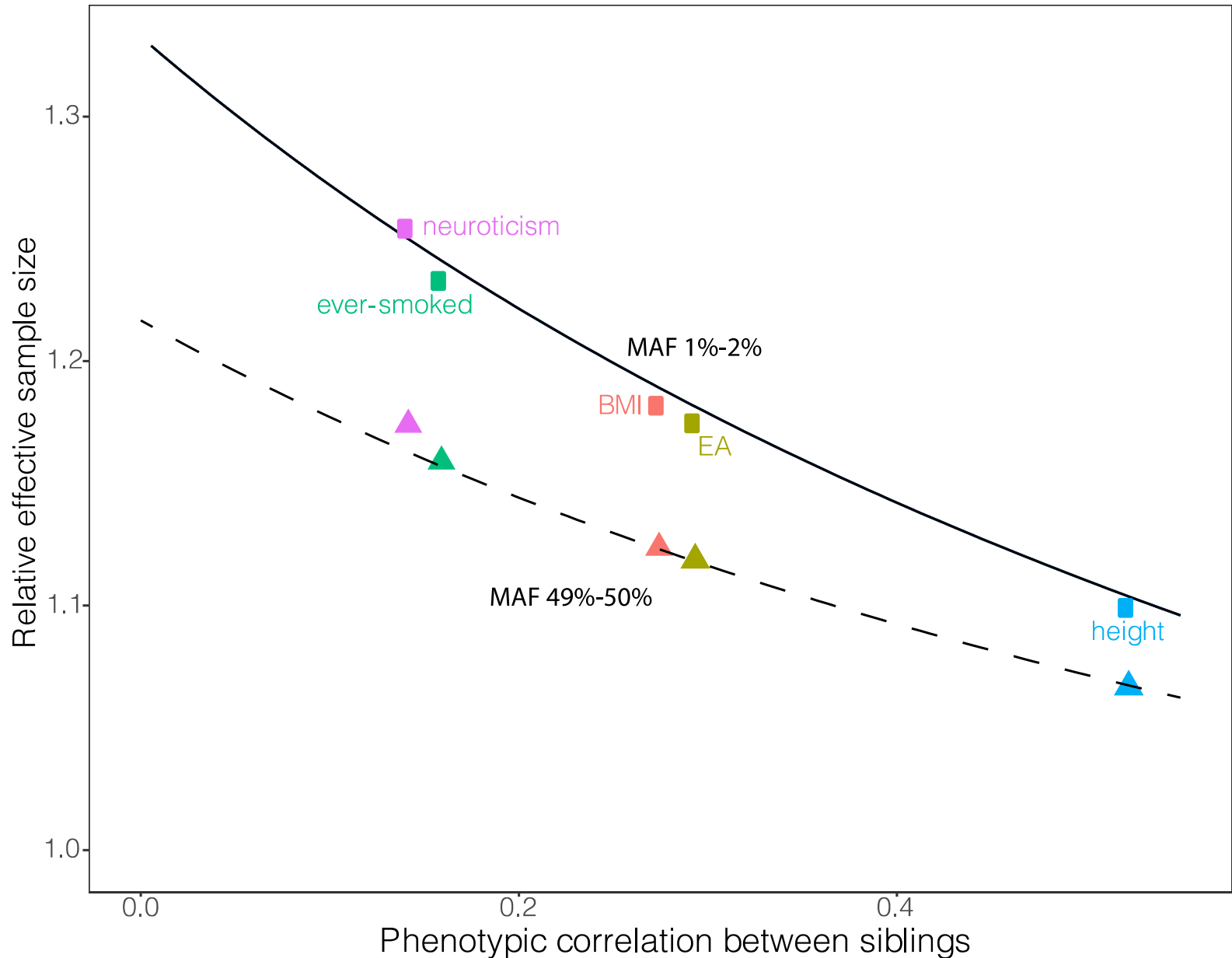
Genotype matrix with
columns: Proband,
(imputed) paternal,
(imputed) maternal

Family level
random effect

Individual error
term

Fast imputation and mixed model regression code in SNIPar (single nucleotide imputation of parents) software package: <https://github.com/AlexTISYoung/SNIPar>

Gain in effective sample size (direct effects) over no imputation



How much bias does GWAS have?

Model

$$y_i = \delta g_i + \alpha_m g_{m(i)} + \alpha_p g_{p(i)} + \epsilon_i$$

Standard GWAS picks up 'parental effects'

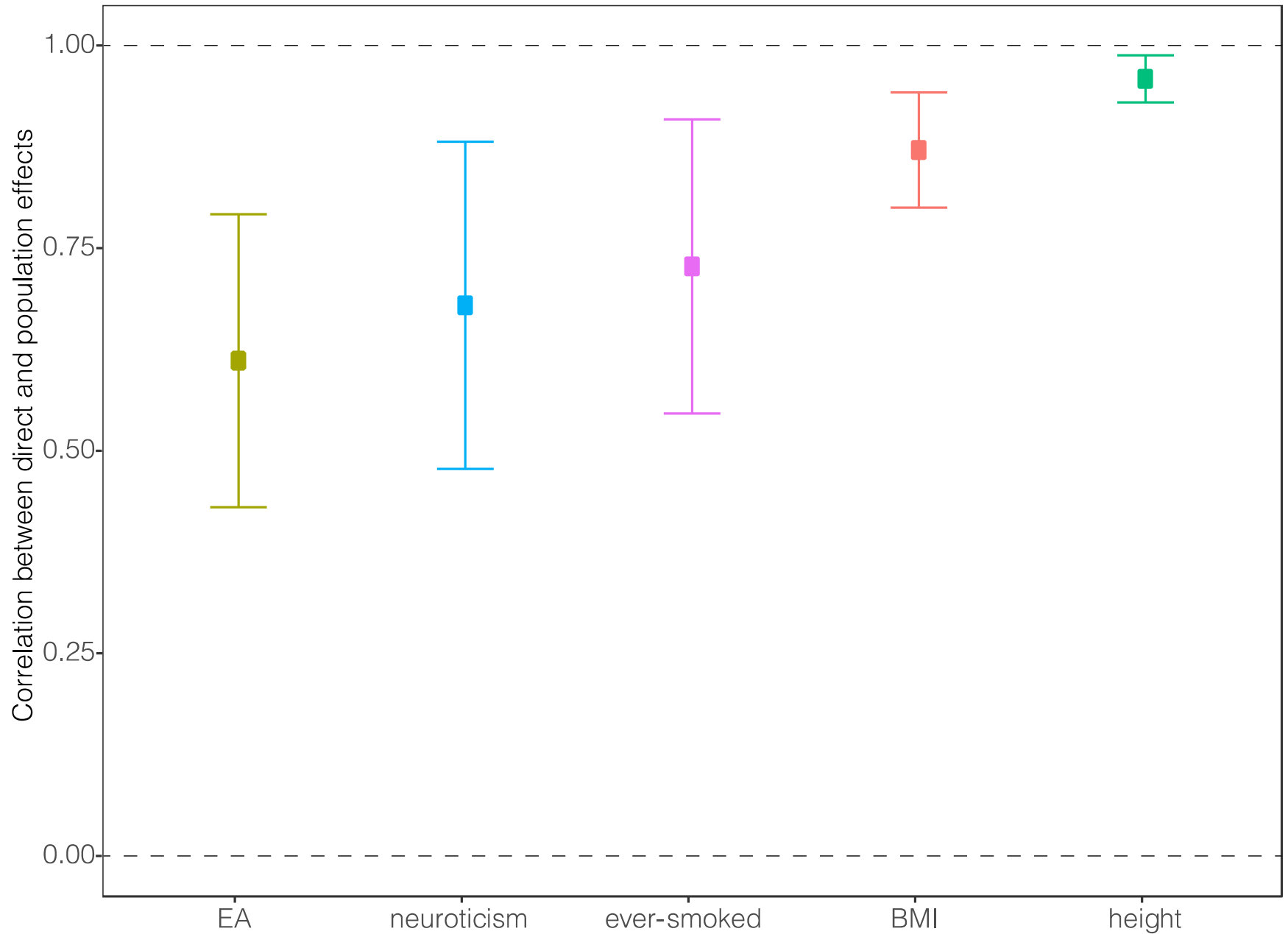
$$Y \sim g_i \Rightarrow \hat{\beta} \rightarrow \delta + (\alpha_p + \alpha_m)/2$$

'Population effect'

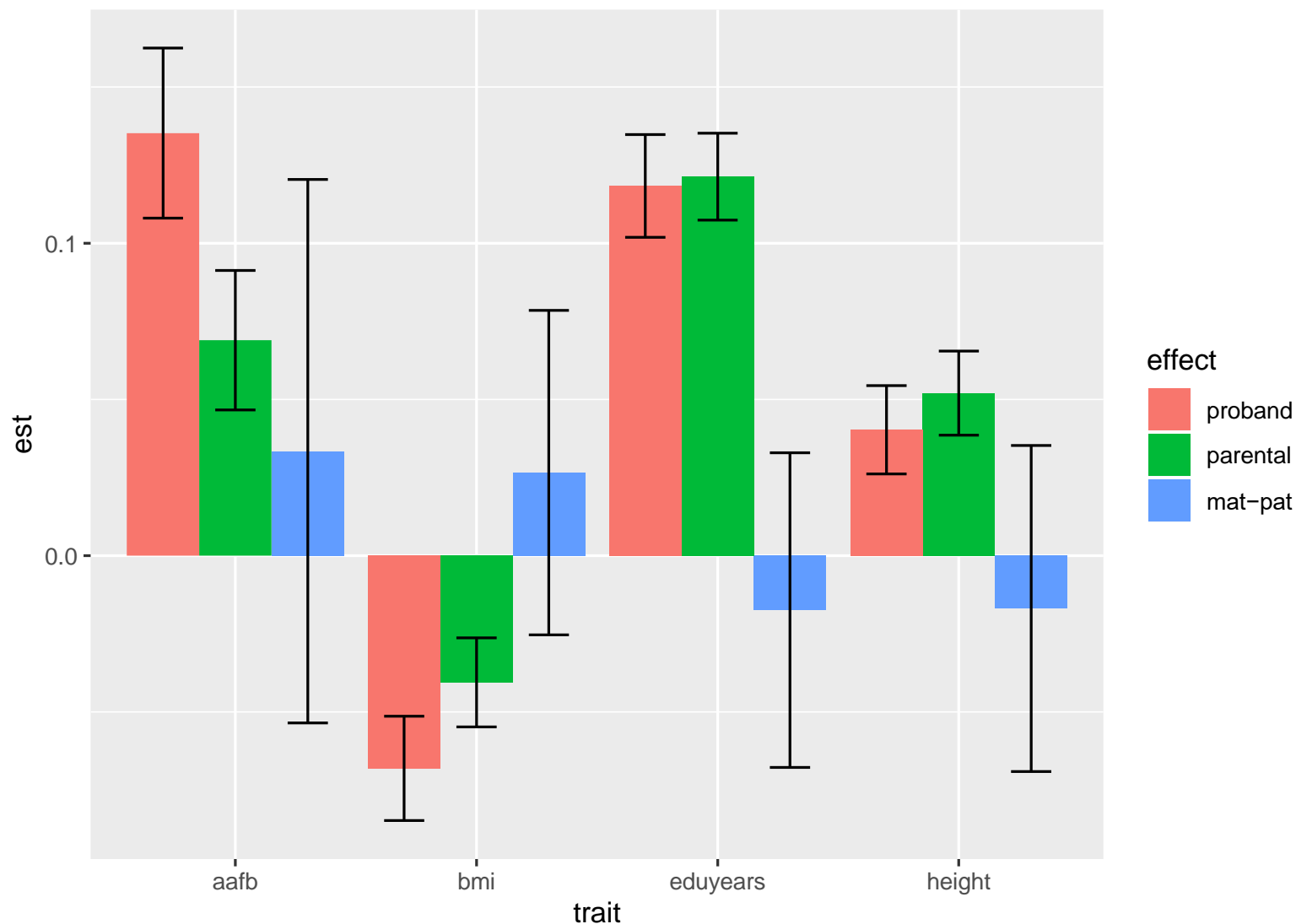
What is the correlation of direct and population effect?

$$\text{Corr}(\delta, \delta + (\alpha_p + \alpha_m)/2) = ?$$

Correlation between direct and population effects



Application to PGS analyses



Using EA PGS. Note that assortative mating leads to slight bias in parental effect estimates. (Kong et al. Family Analysis with Mendelian Imputations, biorXiv 2020).

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